

EXAMPLE - POW and SQRT Functions

The following example demonstrates how the `POW` and `SQRT` functions work together to compute the hypotenuse of a right triangle using the Pythagorean theorem.

- `POW` - X^Y . In this case, 10 to the power of the previous one. See *POW Function*.
- `SQRT` - computes the square root of the input value. See *SQRT Function*.

The Pythagorean theorem states that in a right triangle the length of each side (x,y) and of the hypotenuse (z) can be represented as the following:

$$z^2 = x^2 + y^2$$

Therefore, the length of z can be expressed as the following:

$$z = \text{sqrt}(x^2 + y^2)$$

For more information on the Pythagorean theorem, see https://en.wikipedia.org/wiki/Pythagorean_theorem. **Source:**

The dataset below contains values for x and y:

| X | Y |
|----|----|
| 3 | 4 |
| 4 | 9 |
| 8 | 10 |
| 30 | 40 |

Transform:

You can use the following transform to generate values for z^2 .

NOTE: Do not add this step to your recipe right now.

```
derive type:single value:(POW(x,2) + POW(y,2)) as:'Z'
```

You can see how column Z is generated as the sum of squares of the other two columns. Now, wrap the value computation in a `SQRT` function:

```
derive type:single value:SQRT((POW(x,2) + POW(y,2))) as: 'Z'
```

Results:

| X | Y | Z |
|----|----|--------------------|
| 3 | 4 | 5 |
| 4 | 9 | 9.848857801796104 |
| 8 | 10 | 12.806248474865697 |
| 30 | 40 | 50 |